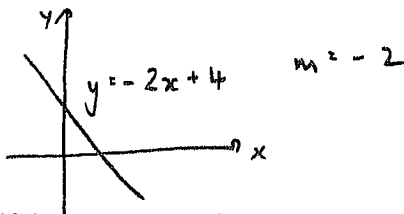
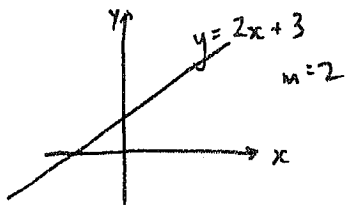


**TYPES OF GRAPHS**  
**Revision for Q2 on the exam**

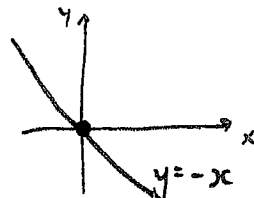
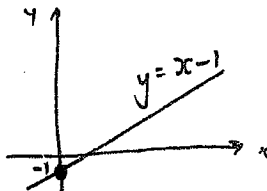
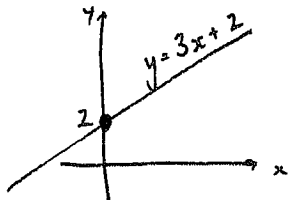
Straight lines

Always put the line into the form  $y = mx + c$  (Sometimes there won't be a  $y$ , so you'll just have  $x =$  a number. See below for this type.)

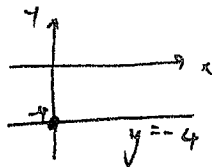
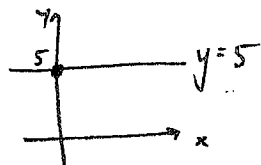
$y = mx + c$  if  $m$  is positive, the line is rising. If  $m$  is negative, the line is falling



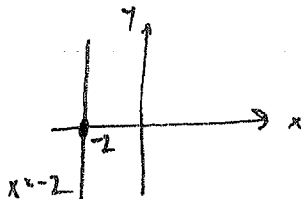
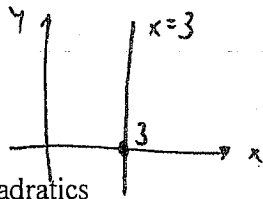
$c$  is the  $y$ -intercept.  $c$  is the number by itself, i.e. not attached to an  $x$ . If  $c$  is positive, the graph cuts the  $y$ -axis *above* the  $x$ -axis. If  $c$  is negative, the graph cuts the  $y$ -axis *below* the  $x$ -axis. If there is no  $c$ , i.e.  $c = 0$ , the graph goes through the origin  $(0,0)$ .





$y = c$  where  $c$  is *any number*. Horizontal line as  $m = 0$ . eg.  $y = 2$ ,  $y = -4$





$x = k$  where  $k$  is *any number*. Vertical line as there is no gradient. eg.  $x = 5$ ,  $x = -8$



Quadratics

$y = ax^2 + bx + c$  If there is an  $x^2$  then the graph is either  or 

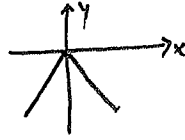
If  $a$  is positive, then the graph looks like  *happy happy!*

If  $a$  is negative, then the graph looks like 

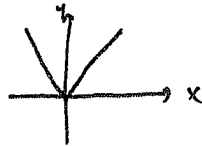
$c$  is the same as in  $y = mx + c$ , i.e. the  $y$ -intercept

Other lines

*Absolute values* - if there is a negative sign *outside* the absolute value, then every answer is negative, so the graph looks like



If there is no sign *outside* the absolute value, then every answer is positive, so the graph looks like



$ae^x$  - rising to the right if  $a > 1$ , falling to the right if  $a < 1$

