

$$* e^{i\pi} = -1$$

$$* \int_0^{\infty} \frac{\sin x}{x} dx = \pi/2$$

recall $\int_0^1 \frac{dx}{x}$ ($= \lim_{\epsilon \rightarrow 0} \int_{\epsilon}^1 \frac{dx}{x}$)

diverges (p test, $p \geq 1$) &

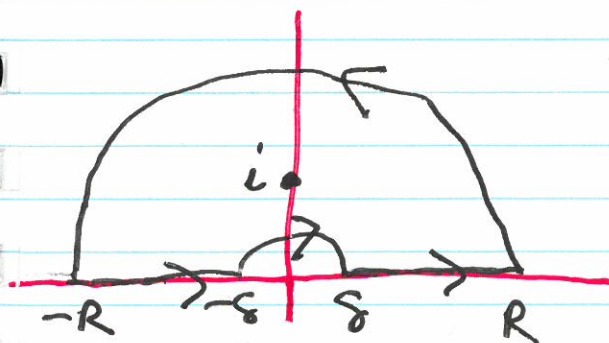
$$\int_1^{\infty} \frac{dx}{x} = \lim_{M \rightarrow \infty} \int_1^M \frac{dx}{x} \text{ also diverges}$$

(p test). In fact the integral converges

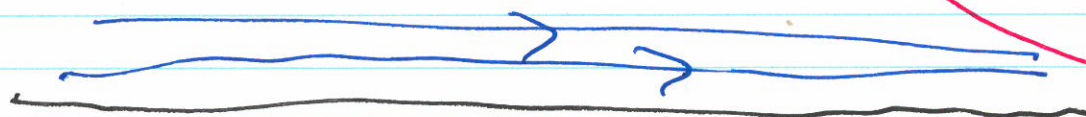
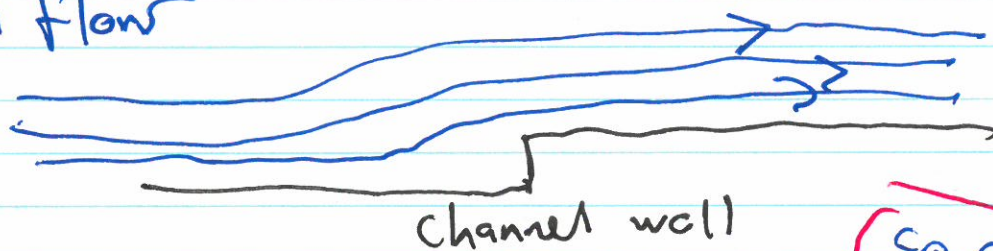
($*$ show convergence using real analysis skills).

suggestion:
do it yourself.

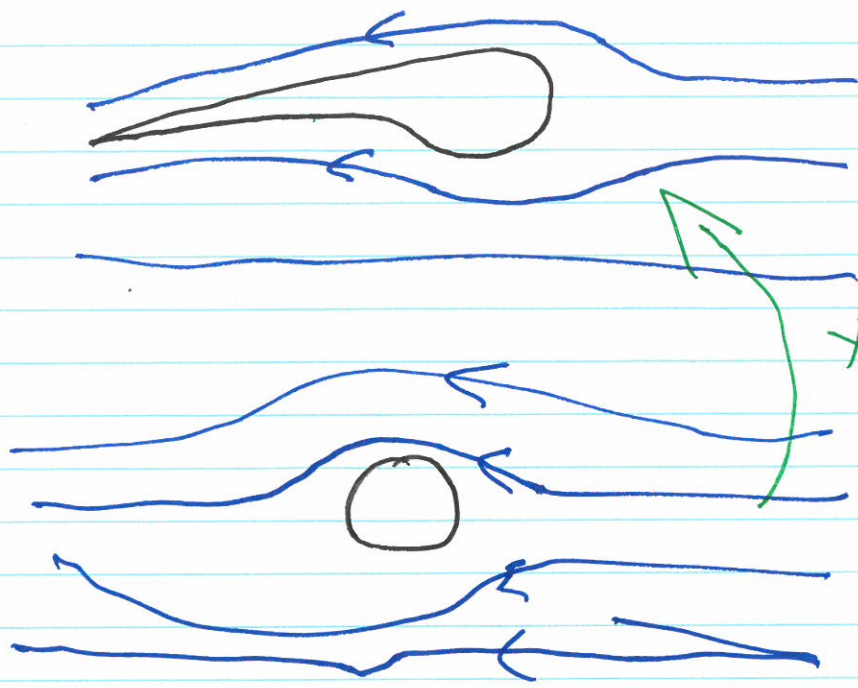
Can evaluate the integral using complex analysis methods: contour integration.



* Fluid flow



conformal transformation



Jorkowski
transformation

Copilot and $\int_0^{\infty} \frac{\sin x}{x} dx$

integrate (sin x)/x from 0 to infinity



I calculated the integral of $\frac{\sin x}{x}$ from 0 to infinity. The result is approximately 2.2479 with an error margin of 3.2903.

However, it's important to note that this integral is known to be divergent or slowly convergent, which means the result might not be entirely accurate. If you have any further questions or need more assistance, feel free to ask!

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what is the exact value?



The exact value of the integral $\int_0^{\infty} \frac{\sin x}{x} dx$ is known as the Dirichlet integral, and it converges to $\pi/2$. So, the exact value is:

$$\int_0^{\infty} \frac{\sin x}{x} dx = \frac{\pi}{2}$$

If you have any more questions or need further assistance, feel free to ask!

Prompt: "provide a picture of the contour used above"

