

\*  $e^{i\pi} = -1$

\*  $\int_0^{\infty} \frac{\sin x}{x} dx = \frac{\pi}{2}$

recall  $\int_0^1 \frac{dx}{x}$  ( $= \lim_{\epsilon \rightarrow 0} \int_{\epsilon}^1 \frac{dx}{x}$ )

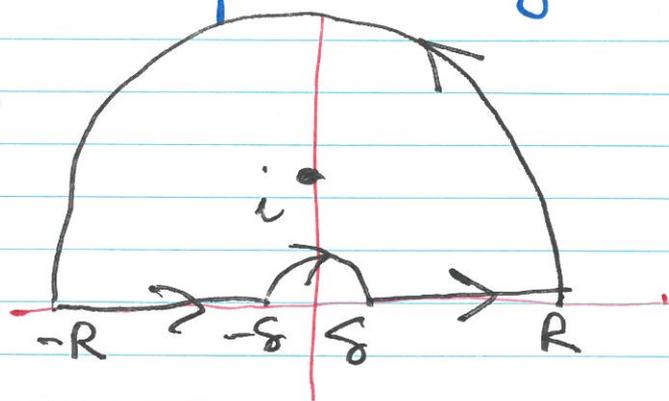
diverges (p-test,  $p \geq 1$ ), &

$\int_1^{\infty} \frac{dx}{x} = \lim_{M \rightarrow \infty} \int_1^M \frac{dx}{x}$  also diverges (p-test,  $p \leq 1$ ).

In fact, the integral converges.

★ Suggestion: do it yourself.

Can evaluate the integral using complex analysis methods: contour integration.



\* Fluid flow:



Conformal transformation.

