



THE UNIVERSITY
OF QUEENSLAND
AUSTRALIA

Analysis of Engineering and Scientific Data

Semester 1 – 2019

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Descriptive Statistics

- ▶ Visualisation of the data.
- ▶ Analysis and presentation of characteristics of the data.

Data types

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- ▶ *Nominal* factors = variables without order, such as males and females.
- ▶ *Ordinal* factors = variable with a certain order, such as *age group*.

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- ▶ Generalization of tuples to vectors:

$$\mathcal{D} = \{(x_{1,1}, \dots, x_{1,n}), \dots, (x_{m,1}, \dots, x_{m,n})\}$$

$x_{i,1}$ = Nr of fisherman at i th day, $x_{i,2}$ is the number of fishing nets used at day i , $x_{i,3}$ = Sea-Surface temperature at day i , ...

1. Data tables

The table **rows** represent observed measurements for *independent* variables (**columns**).

Observ.	variable 1	variable 2	...	variable i	...	variable n
1
2
\vdots	\vdots	\vdots	\vdots	\vdots	\vdots	\vdots
m

```
1 library(carData)
2 D <- Arrests
3 tail(D)
4
5 #or alterantive:
6 library(data.table)
7 print(data.table(D))
```

	released	colour	year	age	sex	employed	citizen	checks
5221	Yes	White	2002	22	Male	Yes	Yes	0
5222	Yes	White	2000	17	Male	Yes	Yes	0
5223	Yes	White	2000	21	Female	Yes	Yes	0
5224	Yes	Black	1999	21	Female	Yes	Yes	1
5225	No	Black	1998	24	Male	Yes	Yes	4
5226	Yes	White	1999	16	Male	Yes	Yes	3

Figure: Data on police arrests in Toronto for possession of marijuana.

Data summarization

A *statistic* is a numerical quantity, such as the proportion, that is computed from a sample x_1, \dots, x_m .

```
1 library(dplyr)
2 D1 <- D %>% group_by(sex) %>% summarize(Count_
    Arrests = n(), Proportion = Count_Arrests /
    nrow(D))
3 D1
```

	sex	Count_Arrests	Proportion
	<fct>	<int>	<dbl>
1	Female	443	0.0848
2	Male	4783	0.915